



# Rotational Mechanics



## Goals

- ✓ Assemble a wind turbine
- ✓ Measure the parameters of its motion
- ✓ Make calculations based on data



## Background

Linear motion, in one dimension and in a straight line, is relatively easy to understand. People, vehicles, billiard balls, elevators, and countless other examples travel in linear directions all the time, so it's simple to apply the concepts of linear motion to everyday life. But when things move in a circle, things get a little more complicated.

A rotating object is constantly accelerating, even if it's moving at the same speed all the time. Yes, that really is as strange as it sounds. The reason is that velocity is a vector quantity: it has a magnitude (like 5 m/s or 50 mph) and a direction. A rotating object is constantly changing the direction it's moving (imagine the always-changing view from a carousel) so that means its velocity is always changing, and any change in velocity is defined in physics as an acceleration.

For this reason, it's easier to talk about an object's angular velocity (abbreviated with the Greek letter omega:  $\omega$ ) which is a measurement of the angle the object goes through in a certain amount of time. It's easy to imagine an object completing one revolution every second, for example.

The angular velocity is closely related to what's known as the object's period: the time it takes to complete one rotation. The period is abbreviated T in physics, so we get this equation:

$$\omega = \frac{2\pi}{T}$$

Where  $2\pi$  is the number of radians in a complete circle. We can also calculate the velocity of the object traveling in the circle just by knowing how large the radius (r) of the circle is:

$$v = \frac{2\pi r}{T}$$

So objects farther out on a circle, even if they are rotating at the same rate as objects closer to the center, are traveling faster. If a bunch of people hold hands and try to move in a circle, the people near the center will hardly have to move at all while those on the end might have trouble running fast enough to keep up.

In this activity, we will use a wind turbine to explore rotational motion and make adjustments to it to try and maximize its angular velocity.



## Procedure

1. Look at the three different types of blades available (labeled A, B, and C). How are they similar? How are they different? Discuss with your group which type of blade you think would work best with your turbine and record your observations below.
2. Select the type and number of blades you want to test. Why do you want to test this type of blade first? Do you think it will be better or worse than the other types?
3. Check that the blades are in the same position using the three notches near the white bases of the blades.



# Rotational Mechanics

Rotate the individual blades if needed to get all the blades into the same position. Would your turbine still work if the blades were in different positions?

4. Insert the blades into the Rotor Base and put the Blade Holder and the Blade Assembly Lock, then attach the Blade Unit to the metal shaft of the turbine. Can your blades be positioned backwards? How do you know if there's a "right way" for a blade to be positioned?
5. Connect the base of the turbine to the LED lights using the black and red wires. Why do you think the lights need two wires to work?
6. Turn on the fan and position it in front of the turbine. It will work best if you keep the fan close to the turbine and line up the center of the fan with the center of the turbine. Why would changing the position of the fan affect the wind hitting the turbine?
7. Record your observations in the Data Table below: Did the lights turn on? Were they dim or bright?
8. Discuss what you observed with your group and discuss what you want to change: the number of blades, the angle of the blades, the type of blades, or some combination of those.
9. Repeat steps 1-8 with as many changes as you can think of.



## Observations

### Data Table:

Blade Type (A, B, C):	Number of Blades:	Blade Angle (6°, 28°, 56°):	Observations:



# Rotational Mechanics



## Experimentation

- Based on your data from the previous experiment, keep the angles of the blades the same and try different numbers of different types of blades to see which works best. Record your observations below:

Number of Each Type of Blade:	Observations:

What combination worked best?

- If you used a combination of different types of blades, try changing the arrangement of the blades (A, B, A, B or A, A, B, B, for example) to try and get the rotor to turn faster. If your rotor spun fastest with only one type of blade, you can skip this experiment.

Blade Order:	Observations:
1	
2	
3	
4	

What arrangement worked best?



## Rotational Mechanics

3. To measure the revolutions per minute of your fastest configuration, you'll need a stopwatch and some masking tape. Put a piece of masking tape around one of your blades. Have one group member operate the stopwatch and another stand next to the turbine to count the revolutions. (It's easier to count if you stand next to the turbine and count the times the taped blade comes over the top.) Have the timekeeper say "Go!" once the turbine is turning and count the number of times the taped blade completes a revolution. Stop counting at exactly 15 seconds. You can then multiply your count by 4 to get the total revolutions per minute. Record your data below. If your turbine spins too fast to measure in this way, use the Horizon Renewable Energy Monitor as described in the next section.

Trial:	Rev. Count (for 15 seconds):	RPM (4 x Count):
1		
2		
3		
4		

What arrangement worked best?

Average RPM:

- Convert your average RPM to the period of rotation (T):

Avg. RPM: \_\_\_\_\_ / 60 = \_\_\_\_\_ Revolutions/second

$1/(\text{Rev per second}) = \text{_____ Seconds/revolution} = T$

- Calculate the angular velocity ( $\omega$ ):

$\omega = 2\pi/T = 2\pi/ \text{_____} = \text{_____}$

- Calculate the velocity (v) of the outermost edge of the fan.

Radius (measure from center of fan rotor to outer edge) = \_\_\_\_\_ cm

$v = \omega r = \text{_____} \times \text{_____} = \text{_____}$



# Rotational Mechanics



## Measurement

For this section, you will need a multimeter or the Horizon Renewable Energy Monitor. For an introduction to using a multimeter, [click here](#).

1. Skip questions 1-4 if you've already completed the RPM experiment from above. Press the Select button on the Renewable Energy Monitor until you see Watts, Joules, and RPM displayed. Record your RPM below:

The Horizon Renewable Energy Monitor can't detect RPM below 200.

RPM: \_\_\_\_\_

2. Use this RPM measurement to calculate the velocity of the outermost edge of the fan. First, convert your average RPM to the period of rotation (T):

Avg. RPM: \_\_\_\_\_ / 60 = \_\_\_\_\_ Revolutions/second

$1/(\text{Rev per second}) = \text{_____ Seconds/revolution} = T$

3. Calculate the angular velocity ( $\omega$ ):

$\omega = 2\pi/T = 2\pi/ \text{_____} = \text{_____}$

4. Calculate the velocity (v) of the outermost edge of the fan.

Radius (measure from center of fan rotor to outer edge) = \_\_\_\_\_ cm

$v = \omega r = \text{_____} \times \text{_____} = \text{_____ cm/sec} * 100 = \text{_____ m/s}$

5. How fast would the outer edge of your turbine blades be moving if it had the same RPM but it was a full-sized wind turbine generator, with a radius of 40m?



## Rotational Mechanics

---

6. The speed of sound is 343.2 meters per second. Could a full-sized wind turbine move at the speed you calculated without breaking the sound barrier?



### Analysis

1. Make a scientific claim about what you observed while running your wind turbine.
2. What evidence do you have to back up your scientific claim?
3. What reasoning did you use to support your claim?
4. Design an experiment that would test whether its easier for a turbine to turn with added weight on the farthest edges of its blades or near the center of its rotor.

